

#### Learning to Scaffold: Optimizing Model Explanations for Teaching

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- Pruthi et al. (2021) proposed a framework for measuring simulability that disregards **trivial protocols \vec{4}**

(training time)  $heta^\star = rg\max_ heta \mathbb{E}_{x \sim \mathcal{D}_{ ext{train}}} ig[ \mathcal{L}_{ ext{sim}}(\, T(x) \,, \, S_ heta(x) \,) ig]$ 

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(standard simulability)  $ext{SIM}(T,S_{ heta^\star})$ 

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Introducing explanations: Teacher and Student explainers  $E_T(x)$ ,  $E_S(x)$ 

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Evaluating Explanations: How much do explanations from the teacher aid students? Pruthi et. al. 2021. (TACL)

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Can we **learn explainers**  $\phi(E)$  that optimize **simulability**?

(scaffolded simulability)

 $\mathrm{SIM}(T,S_{ heta_E^\star})\,<\,\mathrm{SIM}(T,S_{ heta_{\phi(E)}})$  (optim. scaffolded simulability)

• Scaffold-Maximizing Training (SMaT) framework

 $\mathcal{L}_{ ext{student}}(x;T,E_T,S_ heta,E_S) = \mathcal{L}_{ ext{sim}}(\,T(x)\,,\,S_ heta(x)\,) + eta \mathcal{L}_{ ext{expl}}(\,E_T(x)\,,\,E_{S_ heta}(x))$ 

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parameterized explainers

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• Bi-level optimization:

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student parameters and student explainer parameters

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- Diff. through a gradient operation ⇔ JAX for Hessian-vector products
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• Head-level parameterization:



 $\lambda_T = ext{normalize}(\phi_T) \in riangle_{H-1}$ 

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 $\mathrm{sparsemax}(z) = \mathrm{arg\,min}_{p \in riangle_{H-1}} \, \|p-z\|_2$ 

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- Text classification (IMDB)
- Image classification (CIFAR-100)
- Machine Translation Quality Estimation (MLQE-PE)



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• *Plausiblity (human-likeness)* of the explainers

Text Classification									
	AUC								
Grad. L2	0.65								
Grad. $\times$ Input	0.51								
Integrated Grad.	0.53								
Attn. (all layers)	0.68								
Attn. (last layer)	0.61								
Attn. (SMaT)	0.73								
Attn. (best layer)*	0.75								
Attn. (best head)*	0.75								

#### 

#### Quality Estimation

	OVE	ERALL
	src.	tgt.
Gradient L2	0.67	0.59
Gradient $\times$ Input	0.61	0.54
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Attention (all layers)	0.62	0.59
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# Image ClassificationRank TrueSkillGrad. $\times$ Input 3-4 -2.7 $\pm$ .67Integ. Grad. 3-4 -2.1 $\pm$ .67Attn. (all lx.) 2 0.7 $\pm$ .67Attn. (SMaT) 1 4.3 $\pm$ .70

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attention (all layers):				i '	ve	see	en	river	##c	lan	ce	in	perso	on a	nd	n	othi	ng	CO	om	ipa	res		
to	th	e vic	leo ,	but	th	e	sho	w i	s a	weso	me	. tł	he	dar	ncers	are	aı	ma	zing		th	e	mı	isic
is	im	pact	##ir	ng.	and	łt	he	ove	ral	l per	form	nano	ce	is	outsta	andi	ng		i ' '	ve	ne	₹V	er	
se	en	anyt	hing	like	it	1	i sı	ıgg	est	that	you	se	ee	this	show	w i	fy	ou	car	n !	!	!		

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#### Input image Integ. Grad. Attn. (all lx.) Attn. (SMaT)



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Only a small subset of attention heads are deemed relevant by SMaT



CIFAR-100







# Conclusions

- SMaT is a framework that optimizes explanations for teaching students
  - SMaT leads to **high simulability**
  - SMaT learns **plausible explanations**
- We hope this work motivates the interpretability community to consider **scaffolding** as valuable criterion **for evaluating and designing new methods**



(paper) arxiv.org/abs/2204.10810

(code) github.com/CoderPat/learning-scaffold

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punctuation	symbols	$\Rightarrow$	positive
stop words		$\implies$	negative

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