

# Mitigating Hallucination Through Theory-Consistent Symmetric Multimodal Preference Optimization

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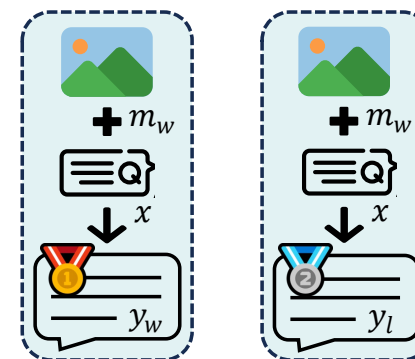


# The Challenge: MLLM Hallucination

**Multimodal Large Language Models (MLLMs)** demonstrate impressive capabilities but often generate outputs that fail to align with the provided image, a phenomenon referred to as **hallucination**.

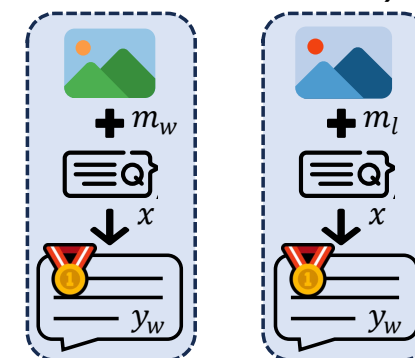
**Direct Preference Optimization (DPO)** is a crucial technique for aligning models and mitigating this issue. To better adapt DPO to multimodal tasks, researchers have extended the original **response-oriented preference learning** to incorporate **vision-oriented preference learning**. However, existing approaches to vision-oriented preference learning still suffer from significant unresolved challenges.

**Response-Oriented Preference Learning  
(Base Module)**



$$r(m_w, x, y_w) > r(m_l, x, y_l)$$

**Vision-Oriented Preference Learning  
(Vision-Enhancement Module)**



$$r(m_w, x, y_w) > r(m_l, x, y_l)$$

# Core Limitations of Existing Methods

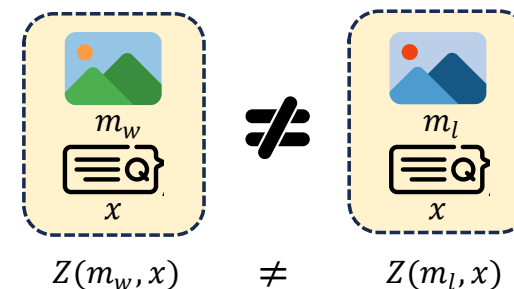
## Non-Rigorous Objective

Existing vision-oriented DPO methods compare different images ( $m_w$  vs.  $m_l$ ) but fail to account for canceling out the partition function  $Z(m, x)$ . This approach is theoretically flawed as it deviates from the standard DPO derivation.

## Indirect Supervision

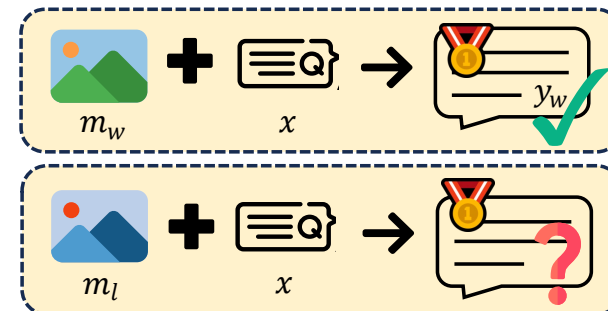
Existing vision-oriented DPO methods contrast images ( $m_w$  vs.  $m_l$ ) while relying on the same response ( $y_w$ ). This contradicts the fundamental design of DPO, which is explicitly intended to learn from preferences between two responses ( $y_w$  vs.  $y_l$ ).

### Limitation1: Non-Rigorous Objective Function



- Intractable partition functions cannot be eliminated due to the difference in the image input.

### Limitation2: Indirect Preference Supervision



- Only utilize contrastive images as indirect preference supervision, fail to explore the preferred responses of these images.

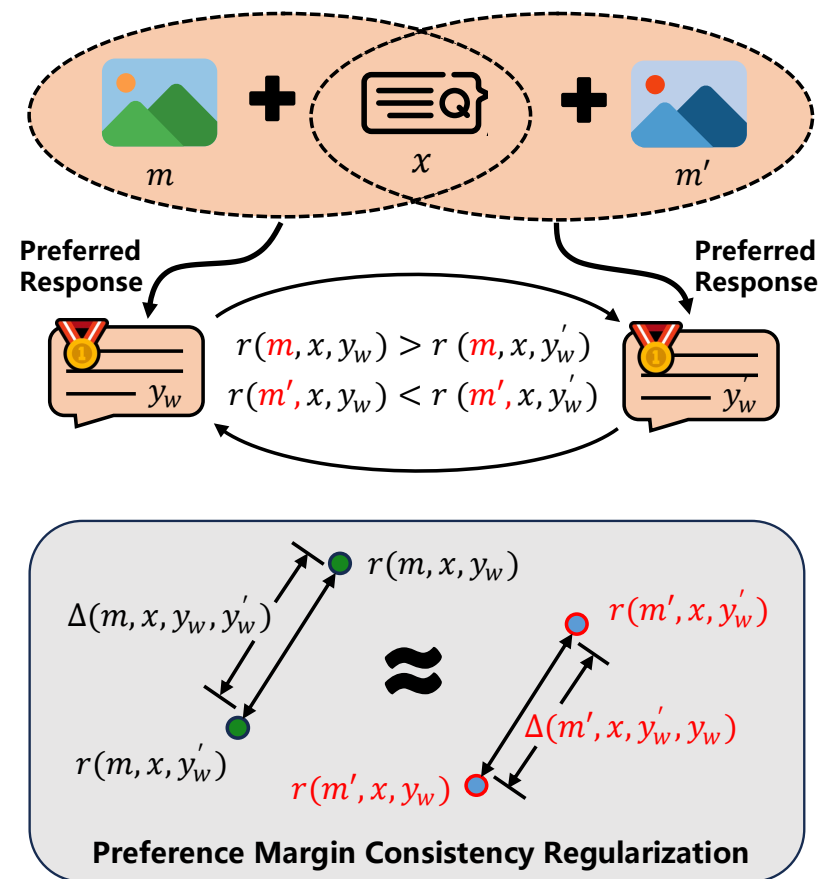
We propose **Symmetric Multimodal Preference Optimization (SymMPO)**.

Instead of contrasting images, SymMPO contrasts their own preferred responses within a symmetric framework.

- For input  $(m, x)$ , the preference is  $y_w > y'_w$ .
- For input  $(m', x)$ , the preference is  $y'_w > y_w$ .

This approach is both **theory-consistent** (correctly cancels the partition functions) and leverages **direct preference supervision**.

## Symmetric Multimodal Preference Optimization (SymMPO)



# Objective Function

The full loss function integrates standard DPO with our novel symmetric losses, designed to enhance multimodal alignment:

$$\mathcal{L}_{SymMPO} = \mathcal{L}_{DPO_m} + \lambda \mathcal{L}_{Pair} + \gamma \mathcal{L}_{Margin} + \eta \mathcal{L}_{AncPO}$$

- $\mathcal{L}_{DPO_m}$  (Standard DPO) : Aligns response quality using (preferred, less-preferred) pairs.

$$\mathcal{L}_{DPO_m} = -\mathbb{E}_{(x,m,y_w,y_l) \sim \mathcal{D}} \left[ \log \sigma \left( \beta \log \frac{\pi_{\theta}(y_w|m, x)}{\pi_{ref}(y_w|m, x)} - \beta \log \frac{\pi_{\theta}(y_l|m, x)}{\pi_{ref}(y_l|m, x)} \right) \right]$$

- $\mathcal{L}_{Pair}$  (Symmetric Loss) : Serves as the core vision-oriented loss, enforcing symmetric in preference.

$$\begin{aligned} \mathcal{L}_{Pair} &= -\mathbb{E}_{(x,m,m',y_w,y'_w) \sim \mathcal{D}} \left[ \log \sigma(r(m, x, y_w) - r(m, x, y'_w)) + \log \sigma(r(m', x, y'_w) - r(m', x, y_w)) \right] \\ &= -\mathbb{E}_{(x,m,m',y_w,y'_w) \sim \mathcal{D}} \left[ \log \sigma \left( \beta \log \frac{\pi_{\theta}(y_w|m, x)}{\pi_{ref}(y_w|m, x)} - \beta \log \frac{\pi_{\theta}(y'_w|m, x)}{\pi_{ref}(y'_w|m, x)} \right) \right. \\ &\quad \left. + \log \sigma \left( \beta \log \frac{\pi_{\theta}(y'_w|m', x)}{\pi_{ref}(y'_w|m', x)} - \beta \log \frac{\pi_{\theta}(y_w|m', x)}{\pi_{ref}(y_w|m', x)} \right) \right]. \end{aligned}$$

# Objective Function

The full loss function integrates standard DPO with our novel symmetric losses, designed to enhance multimodal alignment:

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- $\mathcal{L}_{Margin}$  (Margin Consistency) : Ensures preference gap remain consistent in both directions.

$$\begin{cases} \mathcal{L}_{Margin} = \mathbb{E}_{(x, m, m', y_w, y'_w) \sim \mathcal{D}} \left( \Delta(m, x, y_w, y'_w) - \Delta(m', x, y'_w, y_w) \right)^2, \\ \Delta(m, x, y_w, y'_w) = r(m, x, y_w) - r(m, x, y'_w) = \log \frac{\pi_{\theta}(y_w | m, x)}{\pi_{ref}(y_w | m, x)} - \log \frac{\pi_{\theta}(y'_w | m, x)}{\pi_{ref}(y'_w | m, x)}, \end{cases}$$

- $\mathcal{L}_{AncPO}$  (Anchored Loss) : Stabilizes training by anchoring the likelihood of preferred response.

$$\mathcal{L}_{AncPO} = -\mathbb{E}_{(x, m, m', y_w, y'_w) \sim \mathcal{D}} \left[ \log \sigma \left( \beta \log \frac{\pi_{\theta}(y_w | m, x)}{\pi_{ref}(y_w | m, x)} - \delta \right) + \log \sigma \left( \beta \log \frac{\pi_{\theta}(y'_w | m', x)}{\pi_{ref}(y'_w | m', x)} - \delta \right) \right]$$

# Experiment

Table 1: Main experimental results. The best and second-best results under the same experiment setting are highlighted in boldface and underlined, respectively.

Model	Data Size	Feedback	HallusionBench			Object-HalBench		MMHal-Bench		AMBER		MMStar
			qAcc↑	fAcc↑	aAcc↑	Resp.↓	Ment.↓	Score↑	Hall↓	Acc↑	F1↑	Overall↑
<b>Muffin-13B</b> [37]	<b>X</b>	<b>X</b>	6.15	12.71	41.89	53.0	24.3	2.06	66.7	74.2	80.0	25.4
+RLHF-V [10]	1.4k	Human	9.67	13.87	45.79	8.5	4.9	2.60	56.2	82.0	86.7	31.0
<b>LLaVA-1.5-7B</b> [3]	<b>X</b>	<b>X</b>	3.95	11.56	41.71	56.5	27.9	2.26	56.2	71.8	74.5	33.3
+LLaVA-RLHF [14]	122k	Self-Reward	5.49	12.13	38.26	55.4	27.3	2.00	66.7	68.7	74.7	31.4
+POVID [38]	17k	GPT-4V	7.03	9.53	43.31	35.9	17.3	2.28	56.2	78.6	81.9	34.4
+HALVA [39]	21.5k	GPT-4V	5.49	11.27	42.42	49.1	24.6	2.14	60.4	78.0	83.5	32.3
+HA-DPO [13]	6k	GPT-4	5.49	11.56	42.16	44.9	21.8	1.97	61.5	74.2	78.0	32.6
+RLAIF-V [11]	74.8k	LLaVA-Next	5.93	5.49	36.75	9.9	4.9	3.04	39.6	72.7	84.4	34.6
+TPO [26]	21.4k	LLaVA-Next	7.03	11.27	41.62	5.0	4.7	2.76	42.7	82.2	87.2	34.2
+OPA-DPO [19]	4.8k	LLaVA-Next	6.37	11.84	42.69	6.1	3.7	2.83	46.9	81.3	85.6	33.1
<b>+DPO</b> [9]	21.4k	DeepSeek-V3	<b>7.25</b>	<b>7.80</b>	<b>40.21</b>	<b>12.9</b>	<b>8.8</b>	<b>2.44</b>	<b>49.0</b>	<b>71.3</b>	<b>82.6</b>	<b>33.4</b>
<b>+mDPO</b> [15]	21.4k	DeepSeek-V3	<b>6.81</b>	<b>9.53</b>	<b>42.78</b>	<b>19.9</b>	<b>10.1</b>	<b>2.71</b>	<b>50.0</b>	<b>80.6</b>	<b>86.3</b>	<b>34.2</b>
<b>+SymMPO (Ours)</b>	21.4k	DeepSeek-V3	<b>7.25</b>	<b>13.58</b>	<b>44.28</b>	<b>19.5</b>	<b>9.7</b>	<b>2.89</b>	<b>42.7</b>	<b>82.6</b>	<b>87.7</b>	<b>34.8</b>
<b>LLaVA-1.5-13B</b> [3]	<b>X</b>	<b>X</b>	6.59	9.53	43.48	51.2	25.1	2.16	59.4	71.3	73.2	33.1
+LLaVA-RLHF [14]	122k	Self-Reward	8.57	10.11	43.48	45.3	21.5	2.15	66.7	79.7	83.9	33.5
+HALVA [39]	21.5k	GPT-4V	8.79	10.11	42.24	47.0	22.9	2.30	57.3	82.9	86.5	33.1
+HSA-DPO [40]	8k	GPT-4/4V	6.15	8.95	41.62	5.4	2.9	2.55	50.0	79.8	82.8	33.7
+OPA-DPO [19]	4.8k	LLaVA-Next	6.81	12.13	42.60	7.7	4.4	3.05	38.5	84.1	87.5	32.3
<b>+DPO</b> [9]	21.4k	DeepSeek-V3	<b>10.32</b>	<b>10.69</b>	<b>39.50</b>	<b>15.4</b>	<b>8.5</b>	<b>2.65</b>	<b>45.8</b>	<b>69.2</b>	<b>84.6</b>	<b>33.0</b>
<b>+mDPO</b> [15]	21.4k	DeepSeek-V3	<b>9.23</b>	<b>10.69</b>	<b>39.85</b>	<b>20.9</b>	<b>10.8</b>	<b>2.93</b>	<b>43.8</b>	<b>83.8</b>	<b>88.8</b>	<b>35.0</b>
<b>+SymMPO (Ours)</b>	21.4k	DeepSeek-V3	<b>10.54</b>	<b>10.98</b>	<b>44.55</b>	<b>20.4</b>	<b>10.0</b>	<b>3.01</b>	<b>39.6</b>	<b>84.9</b>	<b>89.1</b>	<b>35.2</b>

Table 2: Ablation studies with LLaVA-1.5-7B.

Model	HallusionBench			Object-HalBench		MMHal-Bench		AMBER		MMStar
	qAcc↑	fAcc↑	aAcc↑	Resp.↓	Ment.↓	Score↑	Hall↓	Acc↑	F1↑	Overall↑
<b>SymMPO</b>	<b>7.25</b>	<b>13.58</b>	<b>44.28</b>	<b>19.5</b>	<b>9.7</b>	<b>2.89</b>	<b>42.7</b>	<b>82.6</b>	<b>87.7</b>	<b>34.8</b>
w/o- $\mathcal{L}_{Pair}$	6.59	11.84	43.22	<b>18.1</b>	10.6	2.53	50.0	81.7	87.1	33.8
w/o- $\mathcal{L}_{Margin}$	7.03	10.98	<b>44.46</b>	21.1	11.0	2.40	54.2	82.0	87.3	34.5
w/o- $\mathcal{L}_{AncPO}$	6.81	11.84	40.83	21.6	11.6	2.39	59.4	79.5	87.4	<b>36.2</b>

- **SymMPO** consistently outperforms both standard **DPO** and **mDPO** (the previous vision-oriented method) across key hallucination benchmarks.
- Ablation experiments further validate the effectiveness of each component within SymMPO, proving the effectiveness of individual components.



# Experiment

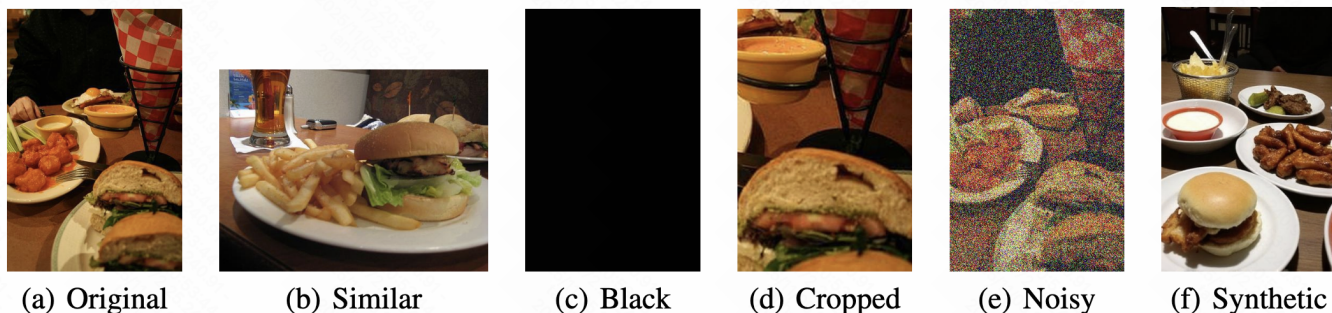


Figure 3: Samples of the original image and its related contrastive images.

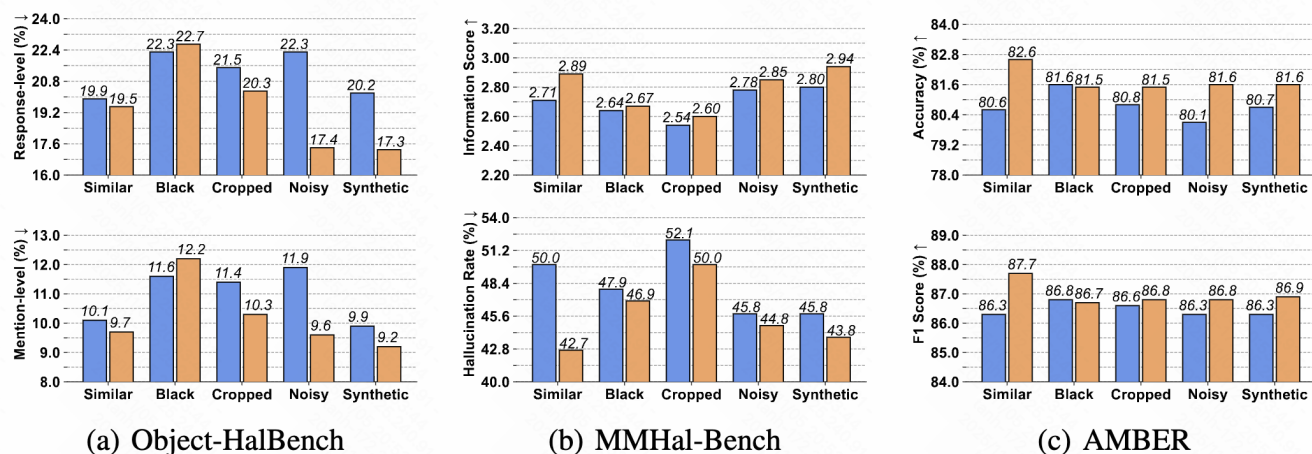


Figure 4: Results of SymMPO and mDPO using different types of contrastive images (↑/↓: higher/lower is better). **Orange** represents SymMPO, and **blue** represents mDPO.

- To investigate the impact of different types of **contrastive image pairs** on the optimization performance of SymMPO, we constructed various types of contrastive image pairs and conducted experiments using SymMPO.
- Based on the experimental results, we analyzed how different image pair data influence the symmetric preference optimization effectiveness of SymMPO.



# Thank You

