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# Rebalancing Contrastive Alignment with Bottlenecked Semantic Increments in Text-Video Retrieval

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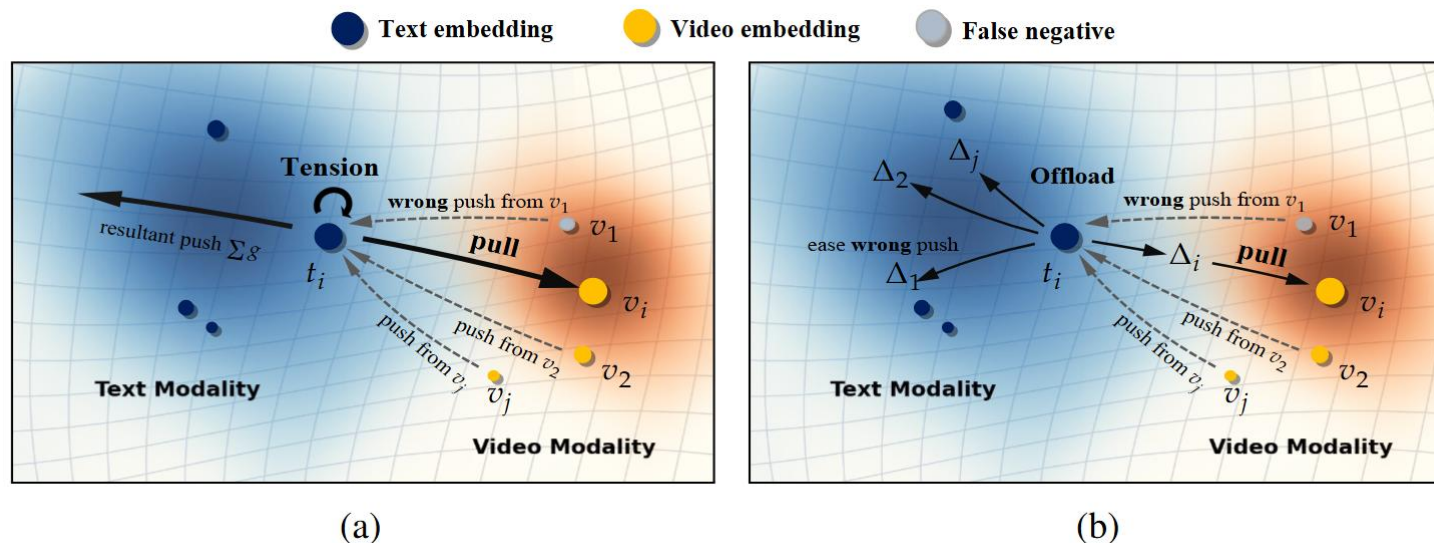
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## Content

- Motivation
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- Text-video retrieval aims to find relevant videos given a text query. Current contrastive models (e.g., CLIP) face two major issues (see Fig. (a)): **1) Optimization tension**: caused by the modality gap, where gradients from positives and negatives cancel out, leaving the anchor nearly unchanged. **2) Hard negative noise**: semantically similar negatives push the anchor in the wrong direction. These issues limit the upper bound of the modal alignment capability.
- We redistribute gradients by introducing a pair-specific increment  $\Delta_{ij}$  that linearly perturbs each text anchor  $t_i$ . This also offloads noisy gradients  $\Delta_{ij}$ , stabilizing  $t_i$ 's semantics (see Fig. (b)).
- Treating InfoNCE loss  $\mathcal{L}_i$  for  $t_i$  as a multivariate function over  $\{\Delta_{ij}\}_{j=1}^B$ , we derive the gradient update of  $\Delta_{ij}$  via a multivariate first-order Taylor Expansion under a  $\ell_2$  trust region constraint and interpret it as an *Information Bottleneck* to prevent trivial solutions.

- **1)** We analyze the gradient structure of InfoNCE and reveal its inherent multi-variable coupling by introducing pairwise increments  $\Delta_{ij}$ . A multivariate first-order Taylor expansion within a trust region yields a update rule for each  $\Delta_{ij}$  consistent with the InfoNCE descent direction.
- **2)** We propose a Gap-Aware Retrieval (**GARE**) framework, where a learnable network  $\psi$  predicts pair-specific increments  $\Delta_{ij}$  and integrates them into the forward pass to offload optimization tension while mitigating noise from false negatives. We also introduce a **relaxed Variational Information Bottleneck (VIB)** objective that regularizes  $\Delta_{ij}$ , balancing informativeness and compression.
- **3)** Experiments on four text–video retrieval benchmarks, i.e., MSR-VTT, DiDeMo, ActivityNet Captions and MSVD, showing consistent improvements, and further analyses confirm that the learned increments  $\Delta_{ij}$  are semantically meaningful and geometrically structured.

## Observation

- For batch size  $B$ , the gradient of  $\mathcal{L}_i$  on an anchor  $t_i$  is the sum of  $B$  pairwise gradients:

$$\nabla_{t_i} \mathcal{L}_i = \frac{1}{\tau} \sum_j^B (p_{ij} - y_{ij}) \cdot \left( \frac{v_j}{|t_i|_2 |v_j|_2} - \cos(t_i, v_j) \cdot \frac{t_i}{|t_i|_2^2} \right), \quad \mathcal{L}_i = -\log \frac{e^{\cos(t_i, v_i)/\tau}}{\sum_j^B e^{\cos(t_i, v_j)/\tau}}$$

where  $p_{ij} = \frac{e^{\cos(t_i, v_i)/\tau}}{\sum_j^B e^{\cos(t_i, v_j)/\tau}}$  and  $y_{ij} \in \{0,1\}$  is match label.

- Empirical results on 512 dimensions show severe cancellation among them.
  - Gradients from most negative pairs  $(t_i, v_j)$ : magnitude  $\approx 40$  to  $60$  (bottom of right-side figure).
  - Adding the positive pair  $(t_i, v_j)$  shrinks it to 2 to 4 (top of right-side figure).
  - $\rightarrow$  The anchor  $t_i$  barely moves during training.

## Problem

- $t_i$  stays trapped in a narrow optimization region.
- The modality gap constrains updates and causes in-place optimization.

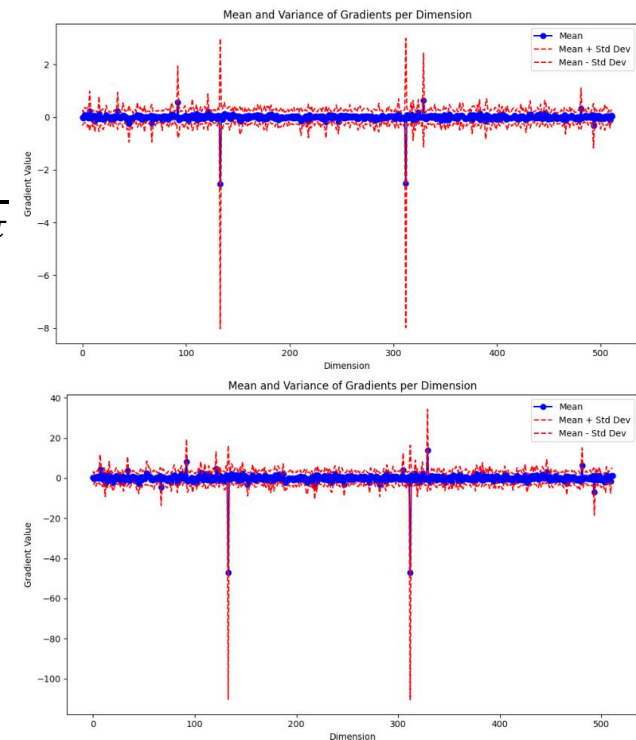


Figure 2: Mean and variance of summed gradient (top) and negative gradients (bottom) across 512 dimensions, showing collinear but opposite forces that largely cancel out.

## Idea

- To relax optimization tension, introduce a pair-specific increment  $\Delta_{ij}$  for each pair  $(t_i, v_j)$ .
- Replace the anchor by a linearly perturbed representation:  $t_{\Delta_{ij}} = t_i + \Delta_{ij}$ , this results a multivariate InfoNCE  $\mathcal{L}_i$ :

$$\mathcal{L}_i(\Delta_{i1}, \Delta_{i2}, \dots, \Delta_{iB}) = -\log \frac{\exp(s_{ii}/\tau)}{\sum_j^B \exp(s_{ij}/\tau)}, \quad s_{ij} = \cos(t_i + \Delta_{ij}, v_j)$$

## Effects

- 1) Gradient redistribution — redirects gradients from  $t_i$  to  $\Delta_{ij}$ .
  - Each  $\Delta_{ij}$  only receives gradient from its own pair  $(t_i, v_j)$ , where the gradients are

$$\nabla_{t_{\Delta_{ij}}} \mathcal{L}_i(\Delta_{i*}) = \frac{1}{\tau} \sum_j^B (p_{ij} - y_{ij}) \cdot \left( \frac{v_j}{|t_i + \Delta_{ij}|_2 |v_j|_2} - \cos(t_i + \Delta_{ij}, v_j) \cdot \frac{t_i + \Delta_{ij}}{|t_i + \Delta_{ij}|_2^2} \right)$$

$$\nabla_{\Delta_{ij}} \mathcal{L}_i(\Delta_{i*}) = \nabla_{t_{\Delta_{ij}}} \mathcal{L}_i(\Delta_{i*}), \quad \nabla_{t_i} \mathcal{L}_i(\Delta_{i*}) = \sum_j^B \nabla_{t_{\Delta_{ij}}} \mathcal{L}_i(\Delta_{i*}).$$

- Collectively,  $\{\Delta_{ij}\}_j^B$  enlarge the **effective optimization region** of  $t_i$ .
- 2)  $\Delta_{ij}$  absorbs noisy gradients from hard negatives, reducing semantic interference

## ■ Multivariate Taylor Expansion

- Gradient of  $\mathcal{L}_i$  w.r.t. one  $\Delta_{ij}$  depends on other non-zero  $\Delta_{ik} \rightarrow$  capturing inter-pair coupling.
- Expanding at  $\Delta_{ik} = 0$  would break the relative ranking prior among pairs. This results to a multivariate first-order Taylor Expansion:

$$\mathcal{L}_i(\Delta_{i*}) \approx \mathcal{L}_i(\Delta_{i*}^{(t)}) + \sum_j^B \left[ \nabla_{\Delta_{ij}} \mathcal{L}_i(\Delta_{i*}^{(t)}) \right]^\top (\Delta_{ij} - \Delta_{ij}^{(t)})$$

- $\ell_2$  Trust-Region Constraint  $|\Delta_{ij}|_2 \leq \varepsilon_{ij}$  to limit perturbation magnitude.

- **Derived Iterative Update with Initial Non-Zero State  $\Delta_{i*}^{(t)}$**  (by steepest descent + Cauchy–Schwarz):

$$\Delta_{ij}^{(t+1)} = \Delta_{ij}^{(t)} - \alpha_{ij}^{(t)} \cdot \frac{\nabla_{\Delta_{ij}} \mathcal{L}_i(\Delta_{i*}^{(t)})}{\left| \nabla_{\Delta_{ij}} \mathcal{L}_i(\Delta_{i*}^{(t)}) \right|_2}, \quad \text{where } \alpha_{ij}^{(t)} \text{ analytically ensures } \left| \Delta_{ij}^{(t+1)} \right|_2 \leq \varepsilon_{ij}.$$

## ■ Implementation

- Each iteration initializes  $\Delta_{i*}^{(t)}$  from a neural module  $\psi(t_i - v_j, \mathbf{V}; \Theta^{(t)}) = q_\psi(\Delta_{ij}^{(t)} | t_i, v_j)$  after **CLIP Encoder**.
- Back-propagation naturally satisfies this update rule with different learning rate  $\eta$  from optimizer.



## Variation Information Bottleneck Regularization for $\Delta_{ij}$

- $\Delta_{ij}$  only receives gradients from its own pair  $(t_i, v_j)$ , lacking contrastive interaction with other pairs.
  - $\rightarrow$  Direct optimization easily leads to **trivial or collapsed**  $\Delta_{ij}$ .
- Treat  $\Delta_{ij}$  as an *information bottleneck variable* that captures only essential **alignment information** between  $t_i$  and  $v_j$ . This results a *Variation Information Bottleneck* objective:

$$\mathcal{L}_{\text{VIB}} := \underbrace{-\mathbb{E}_{(t,v,y)}\mathbb{E}_{\Delta \sim q_\psi(\Delta|t,v)}[\log q_\theta(y|\Delta)]}_{\text{multivariate InfoNCE loss}} + \beta \cdot \underbrace{\mathbb{E}_{(t,v)}[\text{KL}(q_\psi(\Delta|t,v)||\mathcal{N}(0, \mathbf{I}))]}_{\text{compression term } \mathcal{L}_{\text{IB}}}.$$

- The  $\psi(\cdot)$  serves as a *deterministic posterior*, each  $\Delta_{ij}$  is viewed as a **Dirac delta** centered at a fixed value.
  - Since the Dirac posterior is *singular* w.r.t. the Gaussian prior  $\mathcal{N}(0, \mathbf{I})$ , we relax the compression term  $\mathcal{L}_{\text{IB}}$  **on the text side**, leveraging the *one-to-many* nature of video–text pairs.
  - $\rightarrow$  This overly penalizes video-side information and circumvents the singularity between the deterministic and stochastic distributions. By the convexity of  $\text{KL}(\cdot || \mathcal{N}(0, \mathbf{I}))$  and Jensen’s inequality, this yields a relaxation:

$$\begin{aligned}\mathbb{E}_{(t,v)}[\text{KL}(q_\psi(\Delta|t,v)||\mathcal{N}(0, \mathbf{I}))] &= \mathbb{E}_v\mathbb{E}_{t|v}[\text{KL}(q_\psi(\Delta|t,v)||\mathcal{N}(0, \mathbf{I}))] \\ &\geq \mathbb{E}_v[\text{KL}(\overline{q_\psi}(\Delta|v)||\mathcal{N}(0, \mathbf{I}))].\end{aligned}$$



## ■ Extra Regularization: Radii Prior & Direction Diversity

### ■ Motivation

$\Delta_{ij}$  from  $\psi(\cdot)$  often lie on the trust-region boundary. We regularize them to (1) enlarge their **magnitude diversity**, and (2) increase **directional variety** across pairs.

### ■ Trust-Region Radii Prior

- Encourage heterogeneous radii for each anchor  $t_i$  :

$$\mathcal{L}_\varepsilon = -\max\left(\mathbb{E}_t\left[\text{Var}\left(\{\varepsilon_{ij}\}_j^B\right)\right], \lambda\right), \quad \lambda > 0$$

- Larger variance  $\rightarrow$  richer optimization radii.
- Prevents all  $\Delta_{ij}$  collapsing to similar magnitudes.

### ■ Direction Diversity

- Promote angular diversity among normalized increments:

$$\mathcal{L}_{\text{dir}} = \mathbb{E}_t\left[\log \mathbb{E}_{j,k}\left[\exp\left(-\alpha \cdot \left(1 - \langle z_{ij}, z_{ik} \rangle\right)\right)\right]\right], \quad z_{ij} = \frac{\Delta_{ij}}{|\Delta_{ij}|_2}$$

- Reduces directional redundancy.
- Expands geometric coverage of  $\Delta_{ij}$  around  $t_i$ .

Table 1: Comparison results on MSR-VTT dataset on Text-to-Video Retrieval and Video-to-Text Retrieval. DiCoSA [24] utilizes QB-Norm [6] for inference and is grayed out for a fair comparison. Note that T2VLA [45] is a non-CLIP method.

Methods	Text-to-Video Retrieval					Video-to-Text Retrieval				
	R@1↑	R@5↑	R@10↑	MdR↓	MnR↓	R@1↑	R@5↑	R@10↑	MdR↓	MnR↓
T2VLA [45] CVPR21	29.5	59.0	70.1	4.0	-	31.8	60.0	71.1	3.0	-
CLIP4Clip [33] Neurocomputing22	44.5	71.4	81.6	<b>2.0</b>	15.3	42.7	70.9	80.6	<b>2.0</b>	11.6
X-Pool [17] CVPR22	46.9	72.8	82.2	<b>2.0</b>	14.3	44.4	73.3	84.0	<b>2.0</b>	9.0
TS2-Net [32] ECCV22	47.0	74.5	83.8	<b>2.0</b>	13.0	45.3	74.1	83.7	<b>2.0</b>	9.2
EMCL-Net [22] NeurIPS22	46.8	73.1	83.1	<b>2.0</b>	12.8	46.5	73.5	83.5	<b>2.0</b>	8.8
UATVR [16] ICCV23	47.5	73.9	83.5	<b>2.0</b>	12.3	46.9	73.8	83.8	<b>2.0</b>	8.6
DiCoSA [24] IJCAI23	47.5	74.7	83.8	2.0	13.2	46.7	75.2	84.3	2.0	8.9
ProST [29] ICCV23	48.2	74.6	83.4	<b>2.0</b>	12.4	46.3	74.2	83.2	<b>2.0</b>	8.7
HBI [23] CVPR23	48.6	74.6	83.4	<b>2.0</b>	<b>12.0</b>	46.8	74.3	84.3	<b>2.0</b>	8.9
DiffusionRet [25] ICCV23	49.0	<b>75.2</b>	82.7	<b>2.0</b>	12.1	47.7	73.8	84.5	<b>2.0</b>	8.8
EERCF [38] AAAI24	47.8	74.1	<b>84.1</b>	-	-	44.7	74.2	83.9	-	-
MPT [54] ACM MM24	48.3	72.0	81.7	-	14.9	46.5	74.1	82.6	-	11.8
<b>Baseline</b>	46.6	73.4	82.2	<b>2.0</b>	12.6	45.6	73.4	82.4	<b>2.0</b>	9.6
<b>GARE (Ours)</b>	<b>49.1</b>	<b>74.7</b>	83.6	<b>2.0</b>	<b>12.0</b>	<b>48.6</b>	<b>75.3</b>	<b>85.3</b>	<b>2.0</b>	<b>8.5</b>

Table 2: Comparison results on DiDeMo, ActivityNet Captions, and MSVD datasets on Text-to-Video Retrieval. Note that FROZEN [3] is a non-CLIP method.

DiDeMo					ActivityNet Captions					MSVD				
Methods	R@1	R@5	R@10	MnR	Methods	R@1	R@5	R@10	MnR	Methods	R@1	R@5	R@10	MnR
TS2-Net	41.8	71.6	82.0	14.8	CLIP4Clip	40.5	72.4	83.6	7.5	FROZEN [3]	33.7	64.7	76.3	-
CLIP4Clip	42.8	68.5	79.2	18.9	TS2-Net	41.0	<b>73.6</b>	84.5	8.4	CLIP4Clip	45.2	75.5	84.3	<b>10.3</b>
DiCoSA	45.7	74.6	83.5	<b>11.7</b>	DiCoSA	42.1	73.6	84.6	6.8	EMCL-Net	42.1	71.3	81.1	17.6
DiffusionRet	46.7	74.7	82.7	14.3	MPT	41.4	70.9	82.9	7.8	UATVR	46.0	<b>76.3</b>	<b>85.1</b>	10.4
HBI	46.9	74.9	82.7	12.1	HBI	42.2	73.0	84.6	<b>6.6</b>	Diffusion	<b>46.6</b>	75.9	84.1	15.7
<b>Baseline</b>	45.4	74.3	82.0	12.3	<b>Baseline</b>	40.2	72.5	83.6	7.5	<b>Baseline</b>	45.0	75.5	84.5	10.7
<b>GARE (Ours)</b>	<b>47.6</b>	<b>75.4</b>	<b>83.1</b>	<b>12.0</b>	<b>GARE (Ours)</b>	<b>42.6</b>	<b>73.2</b>	<b>84.8</b>	<b>6.6</b>	<b>GARE (Ours)</b>	<b>46.4</b>	<b>76.1</b>	<b>84.5</b>	10.6

Table 3: Ablation on losses combination on Text-to-Video Retrieval results on MSR-VTT 1k-A. First row denotes the baseline.

$\Delta$	$\mathcal{L}_{IB}$	$\mathcal{L}_{\varepsilon}$	$\mathcal{L}_{dir}$	R@1 $\uparrow$	R@5 $\uparrow$	R@10 $\uparrow$	MnR $\downarrow$
	Baseline			46.6	73.4	82.2	12.6
✓				47.4	73.8	82.8	12.4
✓		✓		47.2	73.3	82.2	12.4
✓			✓	47.0	73.1	82.3	12.6
✓		✓	✓	47.4	73.7	82.8	12.3
✓	✓			48.3	74.2	83.2	12.4
✓	✓	✓	✓	<b>49.1</b>	<b>74.7</b>	<b>83.6</b>	<b>12.0</b>

Table 5: Ablation on the interaction mode of  $\psi$  on Text-to-Video Retrieval results on MSR-VTT 1k-A. The variant removes the relative gap modeling by using  $t_i$  as the query and  $\mathbf{V}_{frame}$  as the key-value, producing  $t'_{ij}$  and  $\Delta_{ij} = v_j - t'_{ij}$ . Our gap-aware design preserves pair-specific structure and yields superior alignment.

Interaction Mode of $\psi$	R@1 $\uparrow$	R@5 $\uparrow$	R@10 $\uparrow$	MnR $\downarrow$
Query = $t_i$ (no gap)	46.1	73.2	81.9	13.7
Query = $v_j - t_i$	<b>49.1</b>	<b>74.7</b>	<b>83.6</b>	<b>12.0</b>

Table 4: Ablation on Context Modality Choice of  $\psi$ . Text-to-video retrieval results on three datasets under different context modalities.

Dataset	Context C	R@1 $\uparrow$	R@5 $\uparrow$	R@10 $\uparrow$	MnR $\downarrow$
MSR-VTT	$\mathbf{T}_{word}$	47.4	<b>73.5</b>	82.1	12.9
	$\mathbf{V}_{frame}$	<b>49.1</b>	73.3	<b>82.2</b>	<b>12.4</b>
ActivityNet	$\mathbf{T}_{word}$	<b>42.6</b>	<b>73.6</b>	<b>84.4</b>	<b>6.8</b>
	$\mathbf{V}_{frame}$	40.2	72.2	83.6	8.1
DiDeMo	$\mathbf{T}_{word}$	46.5	74.3	82.6	12.3
	$\mathbf{V}_{frame}$	<b>47.6</b>	<b>75.4</b>	<b>83.1</b>	<b>12.0</b>

Table 6: Ablation on the IB prior  $r(\Delta)$  on MSR-VTT 1k-A. Comparison between normalized and unnormalized  $\Delta_{ij}$  distributions with different Gaussian priors.

$\sigma$	R@1 $\uparrow$	R@5 $\uparrow$	R@10 $\uparrow$	MnR $\downarrow$
<i>Normalized <math>\Delta</math></i>				
1.0	47.8	74.5	82.1	12.9
<i>Unnormalized <math>\Delta</math></i>				
0.1	47.7	73.4	82.2	12.9
1.0	<b>49.1</b>	<b>74.7</b>	<b>83.6</b>	12.0
10.0	48.1	74.6	83.5	12.0
100.0	48.6	<b>74.7</b>	83.2	<b>11.8</b>



## Lower Cosine Similarity

- better **uniformity** on unit hypersphere
- also can be seen as **lowering model's confidence** (belief mass)
- see Fig.6 for hard negative comparison with baseline
  - GARE produces smoother logits than baseline
  - semantic similar samples with similar logits

## Larger $t_{\Delta ij}$ Norm Magnitude on both positive and negative

- expanding representation to a broader space region for **better fine-grained alignment**

## Larger $\ell_2$ distance between $t_{\Delta ij}$ and $v_j$ compared to the pair of $(t_i, v_j)$

- also can be seen as promoting **uniformity**

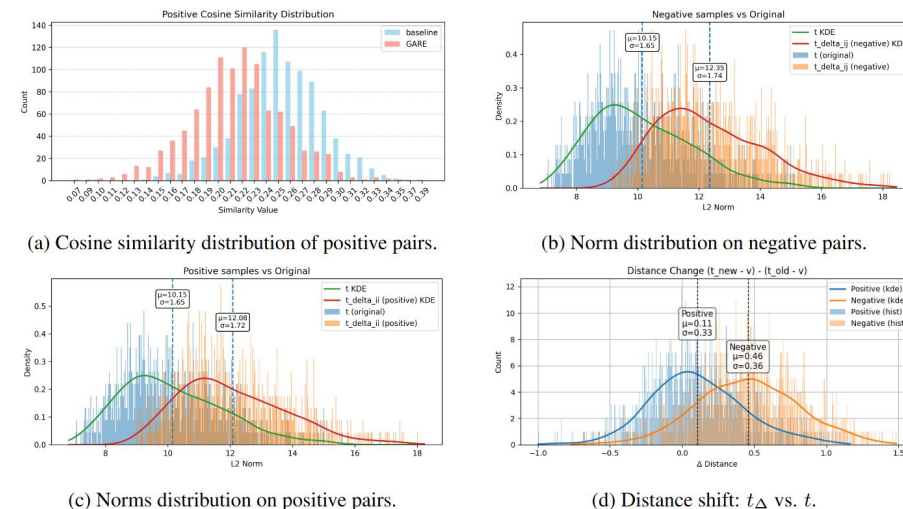


Figure 3: Qualitative analysis on the MSR-VTT 1k-A validation set.  $t_{\Delta}$  denotes  $t_{\Delta}$ . Our method induces greater angular separation between positive pairs (a), redistributes  $t_{\Delta}$  norms to release gradient tension (b, c), and pushes  $t_{\Delta}$  outward from  $v_j$  (d), promoting uniformity.



Figure 6: Comparison of hard negative alignment before and after applying  $\Delta_{ij}$  optimization. Compared with the baseline, GARE produces smaller similarity gaps among semantically related videos  $v_j$ . This indicates that GARE effectively mitigates the noise from hard negatives and reduces the semantic deviation of the anchor  $t_i$ , leading to more stable and consistent alignment across similar samples.

## ■ Gradient Analysis: How $\Delta$ Redistributes Optimization Tension

### ■ Observation of Gradients on $t_i$

In dimensions with strong optimization activity, both positive and negative gradients reach similar magnitudes ( $g \approx 2.5$ ) and appear as near opposites (Figure. 4).

### ■ Gradient Redistribution

When aggregated across all pairs, opposite gradients cancel in the anchor update

$\nabla_{t_i} \mathcal{L}_i(\Delta_{i*}) \rightarrow \text{near zero}$  (Figure. 7).

Each  $\Delta_{ij}$ , however, receives gradients **only from its own pair** ( $t_i, v_j$ ):

- positive  $\Delta_{ij} \approx +g$
- negative  $\Delta_{ij} \approx -g/B$

Thus, the total effective optimization strength per anchor  $\approx |g| + B \cdot |-g/B| \approx 2|g|$ .

### ■ Insight

$\Delta_{ij}$  components remain **actively optimized** and trace how  $t_i$  explores the representation space. By distributing gradient flow across  $\Delta$ , the framework **offloads optimization tension** from anchors and **expands their reachable region**, breaking the **locality constraint** imposed by the modality gap.

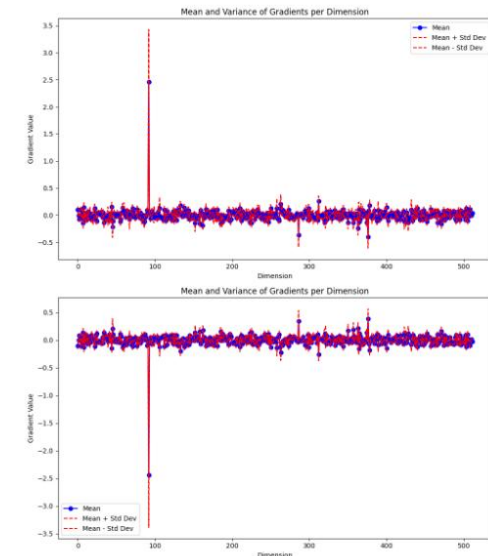


Figure 4: Mean and variance of per-dimension gradients, indicating the positive gradients (top) acting on  $t_{\Delta_{ii}}$  and  $\Delta_{ii}$  and the sum of all negative gradients (bottom) for  $t_{\Delta_{ij}}$  and  $\Delta_{ij}$ .

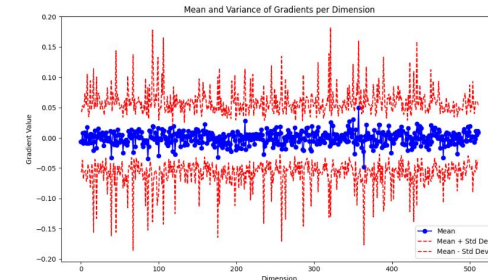


Figure 7: Mean and variance of total gradients acting on  $t_i$  on each dimension.

# Thanks!

