# meta TextGrad: Automatically optimizing language model optimizers

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TL, DR: A meta-optimizer — for optimizing LLM optimizers

## Outline

- Introduction
- Motivation
- Theoretical Insight
- Method
- Experiment
- Summary

## Introduction

### Intro: Prompt Optimization Engines in LLMs

### 1 TextGrad

[1] Yuksekgonul, M., Bianchi, F., Boen, J. *et al.* Optimizing generative AI by backpropagating language model feedback. *Nature* 639, 609–616 (2025).

#### 1 Analogy in abstractions

	Math	<b>O</b> PyTorch	<b>▼</b> TextGrad
Input	x	Tensor(image)	tg.Variable(article)
Model	$\hat{y} = f_{\theta}(x)$	ResNet50()	<pre>tg.BlackboxLLM("You are a summarizer.")</pre>
Loss	$L(y,\hat{y}) = \sum_i y_i \log(\hat{y}_i)$	CrossEntropyLoss()	<pre>tg.TextLoss("Rate the summary.")</pre>
Optimizer	$\mathrm{GD}( heta,rac{\partial L}{\partial  heta})^i\!= heta-rac{\partial L}{\partial  heta}$	<pre>SGD(list(model.parameters()))</pre>	<pre>tg.TGD(list(model.parameters()))</pre>

#### 2 Automatic differentiation

PyTorch and TextGrad share the same syntax for backpropagation and optimization.

**Forward pass** 

loss = loss\_fn(model(input))

Backward pass
loss.backward()

**Updating variable** 

optimizer.step()

### ② DSPy



DSPy: *Programming*—not prompting—Foundation Models

3 LangChain



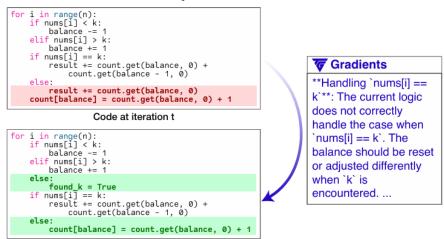


[3] LangChain Al. *LangChain: The platform for reliable agents*. GitHub repository. 2025.

[2] Khattab, O., Singhvi, A., Maheshwari, P., Zhang, et al. "DSPy: Compiling Declarative Language Model Calls into Self-Improving Pipelines." *arXiv* 2310.03714 (2023).

### Intro: Problems in Prompt Optimization

#### **e** TextGrad for code optimization

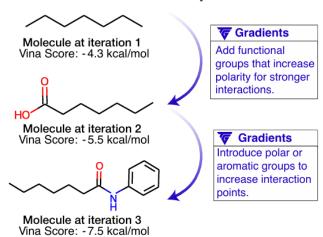


## (1) Optimizers are too broad and inefficient

"We need to optimize both the code and the proteins."

#### d TextGrad for molecule optimization

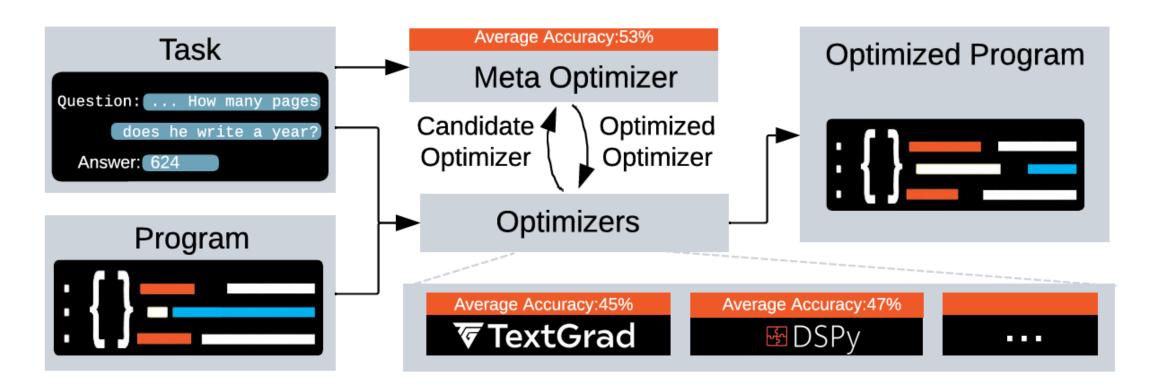
Code at iteration t+1



(2) Different optimizers each have strengths, but are hard to combine
Is it possible to combine the advantages of different optimizers?

### Intro: Our Goal

design a meta-optimizer that improves existing large-model optimizers and better aligns them to specific tasks



## Motivation

### **Existing LLM optimizers**

Existing LLM optimizers like **TextGrad** and **DSPy** are manually designed to perform well across many different tasks. Their prompts are highly general.

### TextGrad TGD optimizer Prompt

You are part of an optimization system that improves text (i.e., variable). You will be asked to creatively and critically improve prompts, solutions to problems, code, or any other text-based variable.

## Problem: Noisy Feedback

However, this generality can sometimes limit their effectiveness on specific tasks. When the optimizer only receives noisy feedback, such as overly detailed textual suggestions:

### Feedback Received by the TGD optimizer

To improve the prompt for the executer and enhance the objective function, consider the following feedback: 1. \*\*Explicit Criteria Definition\*\*: The prompt should explicitly instruct the executer to define the criteria for optical activity at the beginning of the response. This can prevent ambiguity and ensure that the executer uses the correct scientific principles. For example, the prompt could include a directive to "List the criteria for optical activity before analyzing each compound." 2. \*\*Data Verification Directive\*\*: Incorporate a step in the prompt that requires the executer to verify the input data against reliable sources. This could be phrased as "Cross-check the properties of each compound with a trusted chemical database before proceeding with the analysis." 3. \*\*Structured Logical Reasoning\*\*: Encourage a structured approach to reasoning by breaking down the analysis into distinct steps. The prompt could suggest a format like "For each compound, first identify chiral centers, then assess symmetry, and finally determine optical activity".

It may incorporate irrelevant information and fail to improve the model effectively.

## Solution: Task-aligned Optimizer

In contrast, a task-aligned optimizer can be explicitly aligned with the target task distribution.

For instance, an optimizer optimized for *Dyck Languages* (bracket matching) might include guidance such as focusing on proper nesting and LIFO order:

#### A Task-specific Optimizer Prompt

You are part of an optimization system specialized in improving prompts for bracket matching and sequence completion tasks. Your role is to enhance prompts that help solve Dyck language problems, which involve proper nesting and closure of different types of brackets (, <>, ()). When improving prompts, focus on these critical aspects: (1) maintaining accurate bracket pair matching, (2) preserving the LIFO (Last In First Out) order of nested structures, (3) handling multiple bracket types simultaneously, and (4) ensuring complete closure of all open brackets. You should critically analyze how the prompts can better guide the model to track open brackets, maintain proper nesting order, and systematically complete sequences. Consider incorporating pattern recognition strategies and explicit validation rules in the improved prompts. Your improvements should lead to more reliable and accurate bracket sequence completions.

Find a good initial value for the optimization process.

## Solution: Task-aligned Optimizer

In contrast, a task-aligned optimizer can be explicitly aligned with the target task distribution. (Find a good initial value for the optimization process.)

Such alignment helps the optimizer produce better programs even when the feedback remains noisy.

Therefore, rather than designing new optimizers manually for every task, metaTextGrad aims to <u>meta-learn how to adapt optimizers</u> <u>automatically</u> and create optimizers that are both stronger and taskaligned.

## Theoretical Insight

### Theoretical Insight

Let R be the loss function,  $S_1$  the training dataset, and  $S_2$  the test dataset (drawn from the same distribution).

Let  $\hat{\theta}$  be the optimizer after meta-training, and  $\theta^*$  be the optimizer that is optimal under a given distribution.

Then we can prove that with probability at least  $1 - \delta$ :

$$R_{S_2}(\widehat{\theta}) \le R(\theta^*) + \sqrt{\frac{2\log(6/\delta)}{n}} + \sqrt{\frac{\log(6/\delta)}{2m}}.$$

That is, an optimizer adapted through meta-optimization to a specific task can effectively optimize data drawn from the same distribution.

On the other hand, for an optimizer that has not undergone meta-optimization, there will always exist some tasks for which its optimization performance is poor.

This demonstrates the **necessity** of conducting meta optimization.

## Method

### Meta Optimizer: Inner Loop

$$\Phi^* = \underset{\Phi}{\operatorname{arg\,max}} \frac{1}{|\mathcal{D}|} \sum_{(x,y)\in\mathcal{D}} \mu(\Phi(x), y)$$

### **Algorithm 1** Inner Loop: Optimize $\Phi$ with Optimizer M

- 1: **Input:** Optimizer M, Initial Program  $\Phi$ , Max Iterations I
- 2: **Input:** Training Data  $\mathcal{D}$ , Validation Data  $\mathcal{D}_{val}$ , Metric  $\mu$
- 3: **Output:**  $\Phi^*$ , i.e., the optimized version of  $\Phi$
- 4: M.Initialize( $\mathcal{D}, \Phi$ )
- 5: for  $k \leftarrow 1$  to I do
- 6:  $\Phi_k \leftarrow M.Propose()$
- 7:  $\sigma \leftarrow \frac{1}{|\mathcal{D}_{val}|} \sum_{(x,y) \in \mathcal{D}_{val}} \mu(\Phi_k(x), y)$
- 8:  $M.Update(\Phi_k, \sigma)$
- 9: end for
- 10:  $(\Phi^*, \sigma^*) \leftarrow M$ .ExtractOptimizedProgram()
- 11: **return**  $(\Phi^*, \sigma^*)$

### Meta Optimizer: Outer Loop

$$M^* = \underset{M}{\operatorname{arg\,max}} \frac{1}{|\mathcal{D}|} \sum_{(x,y)\in\mathcal{D}} \mu(M.\operatorname{optimize}(\mathcal{D}, \Phi)(x), y).$$

#### **Algorithm 2** Meta-Optimization of Optimizers

```
1: Input: Meta-Optimizer \widehat{M}

2: Input: Max Meta-Iterations J, Max Inner-Iterations I

3: Input: Initial optimizers \{M^{(1)}, M^{(2)}, \dots, M^{(r)}\}

4: Input: Training Data \mathcal{D}, Validation Data \mathcal{D}_{val}

5: Input: Metric \mu, Initial Program \Phi

6: Output: Optimized optimizer M^*

7: \widehat{M}.Initialize(\mathcal{D}, \{M^{(i)}\}_{i=1}^r)

8: for j \leftarrow 1 to J do

9: M_j \leftarrow \widehat{M}.Propose()

10: (\Phi_j^*, \sigma_j) \leftarrow \text{InnerLoop}(M_j, \Phi, I, \mathcal{D}, \mathcal{D}_{val}, \mu)

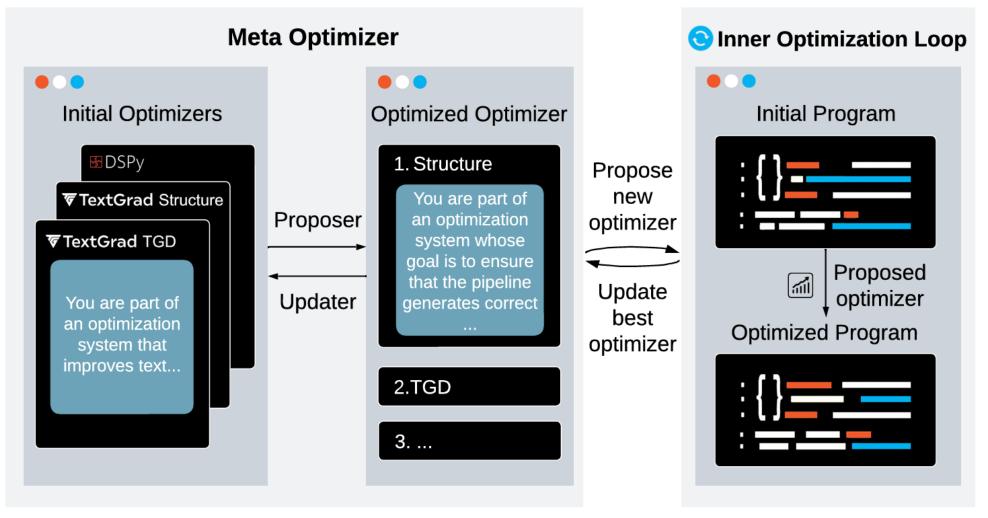
11: \widehat{M}.Update(M_j, \sigma_j)

12: end for

13: M^* \leftarrow \widehat{M}.ExtractOptimizedOptimizer()
```

14: return  $M^*$ 

### Meta Optimizer: Overview



metaTextGrad consists of a meta-prompt optimizer and a meta-structure optimizer. Given a set of optimizers, the meta optimizer performs optimization in two steps. First, it optimizes each optimizer individually so that they align better with the specific task. Then, it combines these optimized optimizers into a new optimizer.

## Experiment

### Overview

Method	<b>Word Sorting</b>		Dyck Languages	<b>GPQA Diamond</b>	Abstract Algebra		Average			
	Val	Test	Val	Test	Val	Test	Val	Test	Val	Test
Vanilla prompting	method	ls								
Zero-shot CoT	0.46	0.55	0.06	0.05	0.32	0.34	0.74	0.70	0.40	0.41
8-shot CoT	0.50	0.52	0.14	0.19	0.32	0.35	0.65	0.71	0.40	0.44
Self-consistency (8)	0.47	0.52	0.10	0.12	0.40	0.42	0.76	0.70	0.43	0.44
Best of N (8)	0.48	0.52	0.14	0.17	0.37	<u>0.40</u>	<u>0.77</u>	<u>0.74</u>	0.44	0.46
TextGrad optimize	rs									
TGD Optimizer	0.54	0.55	0.10	0.10	0.34	0.35	0.76	0.71	0.44	0.43
ADAS-TG	<u>0.58</u>	0.58	0.21	0.16	0.36	0.37	0.75	0.70	0.48	0.45
DSPy optimizers										
Zero-shot MIPROv2	0.57	0.55	0.19	0.16	0.43	0.38	0.76	0.77	0.49	0.47
8-shot MIPROv2	0.52	0.57	<u>0.33</u>	<u>0.26</u>	$\overline{0.37}$	0.34	0.74	0.65	0.49	0.46
Meta-optimized op	timizer	'S								
metaTextGrad	0.60	0.65	0.42	0.37	0.45	0.40	0.78	0.71	0.56	0.53

Across various math-reasoning datasets, metaTextGrad shows a marked improvement in performance over baselines.

## **Cost Analysis**

To control cost, we want to use a regular model to perform the computationally expensive program execution, a moderately stronger model as the optimizer, and the best model as the meta-optimizer.

The results show that metaTextGrad exhibits significant differences in token usage across different reasoning levels, indicating that this hierarchical design is efficient.

Level	Tokens
Program level	$\sim 400 \mathrm{k}$
Optimizer level Meta-optimizer level	$\sim 100 \mathrm{k} \ \sim 2.5 \mathrm{k}$

Table 2:	Token	analysis	on Abstract	Algebra.
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Model	Performance	Cost
O-shot CoT (4o-mini) Ours (4o-mini)	0.05 0.37	0.14\$ 0.44\$
0-shot CoT (4o)	0.18	0.52\$

Table 3: Cost analysis on Dyck Languages.

With the help of metaTextGrad, GPT-4o-mini even performs better than GPT-4o on BBH Dyck Languages.

## Generalizability

Method (Claude 3 Haiku)	Dyck L	anguages	Method	Abstract Algebra		
	Val	Test		Val	Test	
Zero-shot CoT	0.07	0.10	Zero-shot CoT	0.74	0.70	
TextGrad optimizers			TextGrad optimizers			
TGD Optimizer	0.10	0.04	TGD Optimizer	0.76	0.71	
ADAS-TG	0.35	0.34	ADAS-TG	0.75	0.70	
Optimizers optimized on GPT-4o-mini			Optimizers optimiz	ed on GPQ	A diamond	
metaTextGrad	0.32	0.35	metaTextGrad	0.78	0.77	

Table 4: Transferability of the optimized optimizer across models.

Table 5: Transferability of the optimized optimizer across datasets.

The optimizers produced by metaTextGrad can effectively generalize across different models and datasets.

## Open-Source Models & Harder Tasks

Method	Dyck Lang	guages (Qwen models)	ARC-AGI (Challenging Benchmark		
	Val	Test	Val	Test	
Vanilla prompting n	nethods				
Zero-shot CoT	0.27	0.27	0.27	0.23	
8-shot CoT	0.37	0.40	0.03	0.00	
Self-consistency (8)	0.31	0.32	0.30	0.23	
Best of N (8)	0.39	0.41	0.27	0.20	
TextGrad optimizer	s				
TGD Optimizer	0.69	0.68	0.33	0.33	
ADAS-TG	0.32	0.34	0.28	0.26	
DSPy optimizers					
Zero-shot MIPROv2	0.59	0.50	0.30	0.23	
8-shot MIPROv2	0.57	0.51	0.33	0.03	
Meta-optimized opt	imizers				
metaTextGrad	0.82	0.77	0.37	0.40	

metaTextGrad remains effective on open-source models and complex tasks.

## **Ablation Study**

Split	0-shot CoT	TGD	ADAS-TG	TGD (O)	ADAS-TG (O)	Struct (O)	metaTextGrad
Val	0.06	0.10	0.21	0.21	0.42	0.24	0.42
Test	0.05	0.10	0.16	0.24	0.37	0.16	0.37

Table 6: Analysis of the effectiveness of each meta optimizer on Dyck Languages. TGD (O), ADAS-TG (O), and Struct (O) respectively denote the TGD and ADAS-TG optimizers enhanced by the meta prompt optimizer, and the optimizers enhanced by the meta structure optimizer.

**Each component** of **metaTextGrad** can effectively improve optimization performance.

## Summary

### **Summary of Contribution**

- Identify the necessity of improving existing large-model optimizers and better aligning them with specific tasks.
- Provide both theoretical and empirical insights for performing meta-optimization.
- Design a meta-prompt optimizer and a meta-structure optimizer to optimize LLM optimizers.
- Demonstrate the effectiveness of our approach across different tasks.

## metaTextGrad is open-source!





**Source Code** 

**Paper** 

https://github.com/zou-group/metatextgrad

https://arxiv.org/abs/2505.18524

## Thank you!